

2 questions



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Principaux ouvrages scientifiques

Operazioni del compasso geometrico et militare di Galileo-Galilei, nobil Fiorentino.

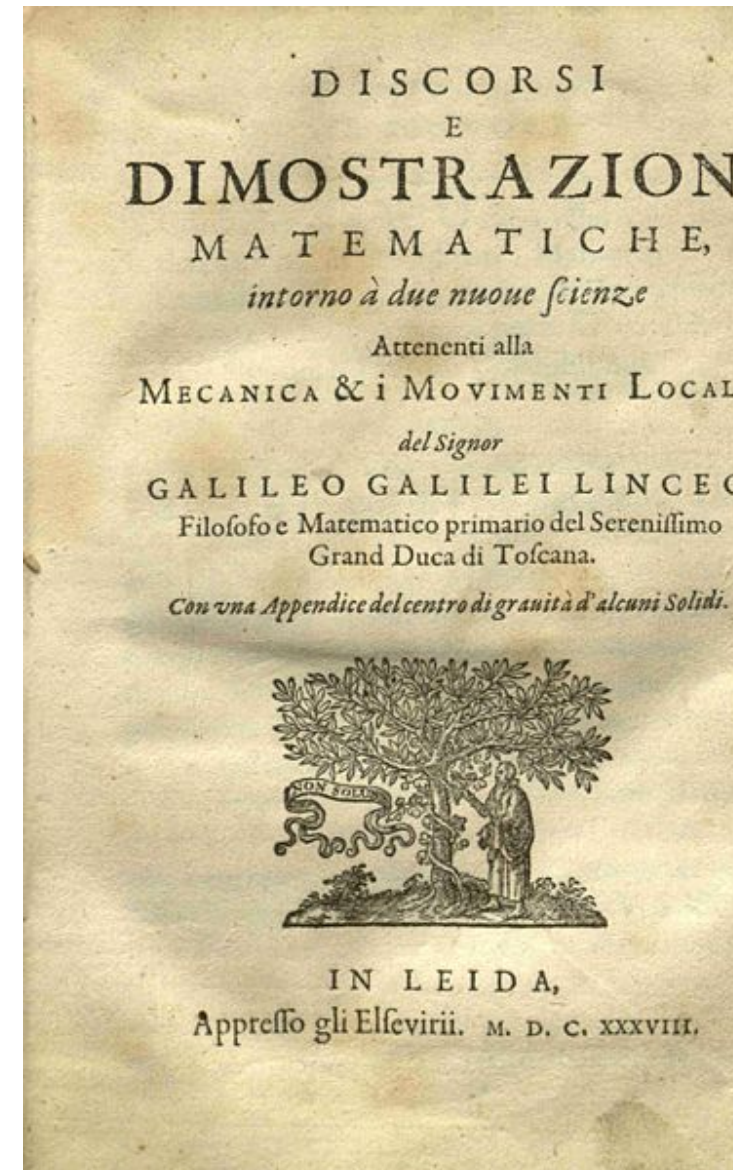
Discorso intorno alle cose che stanno in su l'acqua et che in quella si muovono.

Starry Messenger, magnae longae admirabilia spectacula prodens, etc.

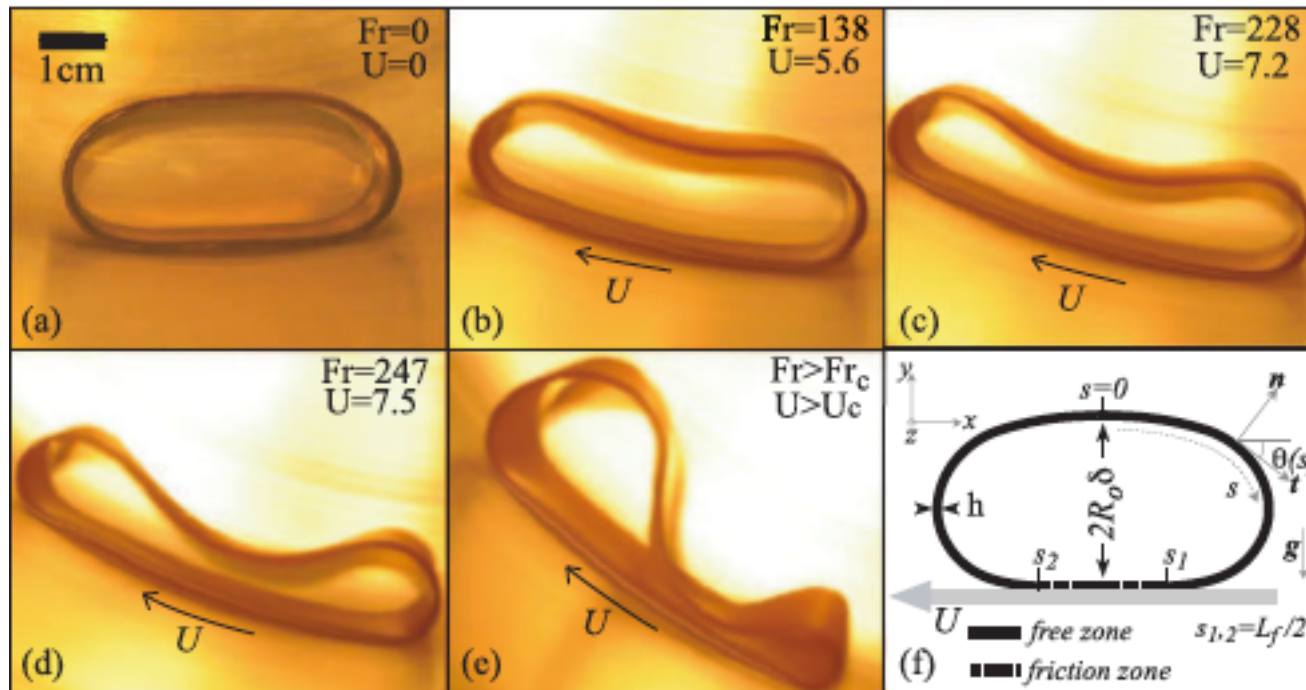
Dialogo e dimostrazioni intorno alle macchie solari et loro accidenti.

Il Saggiatore nel quale con bilancia esquisita et giusta si ponderano le cose contenute nella libreria filosofica di Lotario Sarsi, etc.

Discorsi e Dimostrazioni matematiche intorno a due scienze attenanti alla meccanica ed i moti locali.



J.Aristoff

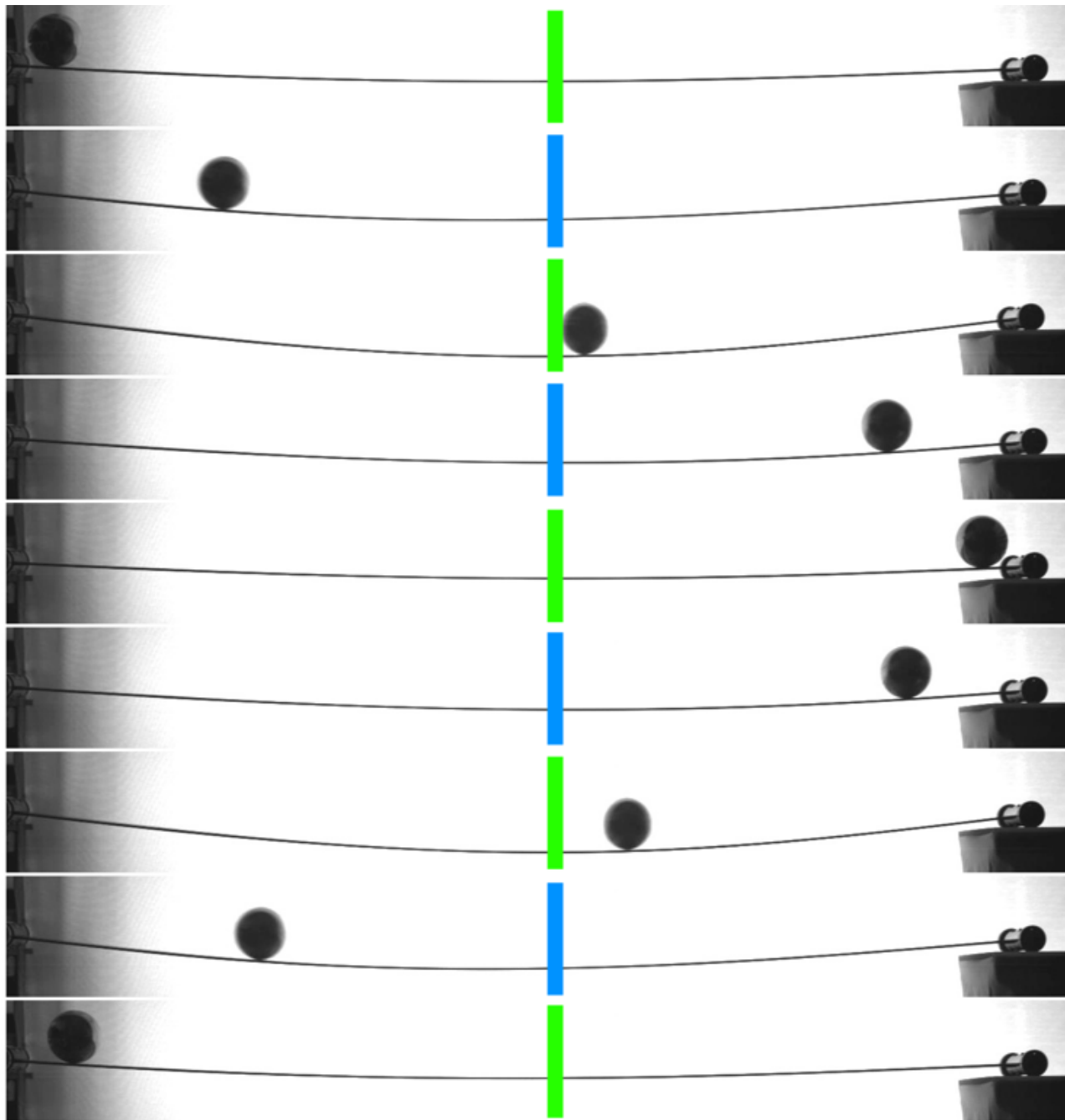


P. Raux

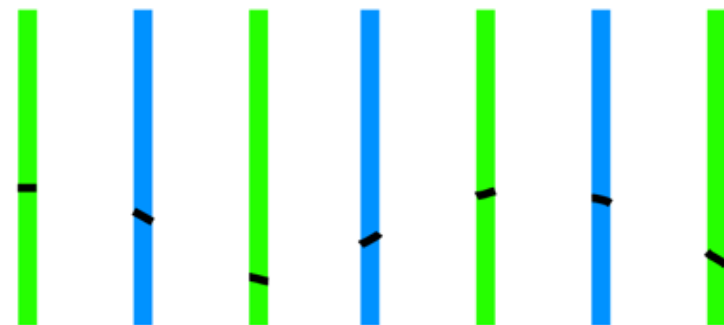
1 inch diameter

2 inch diameter

3 inch diameter



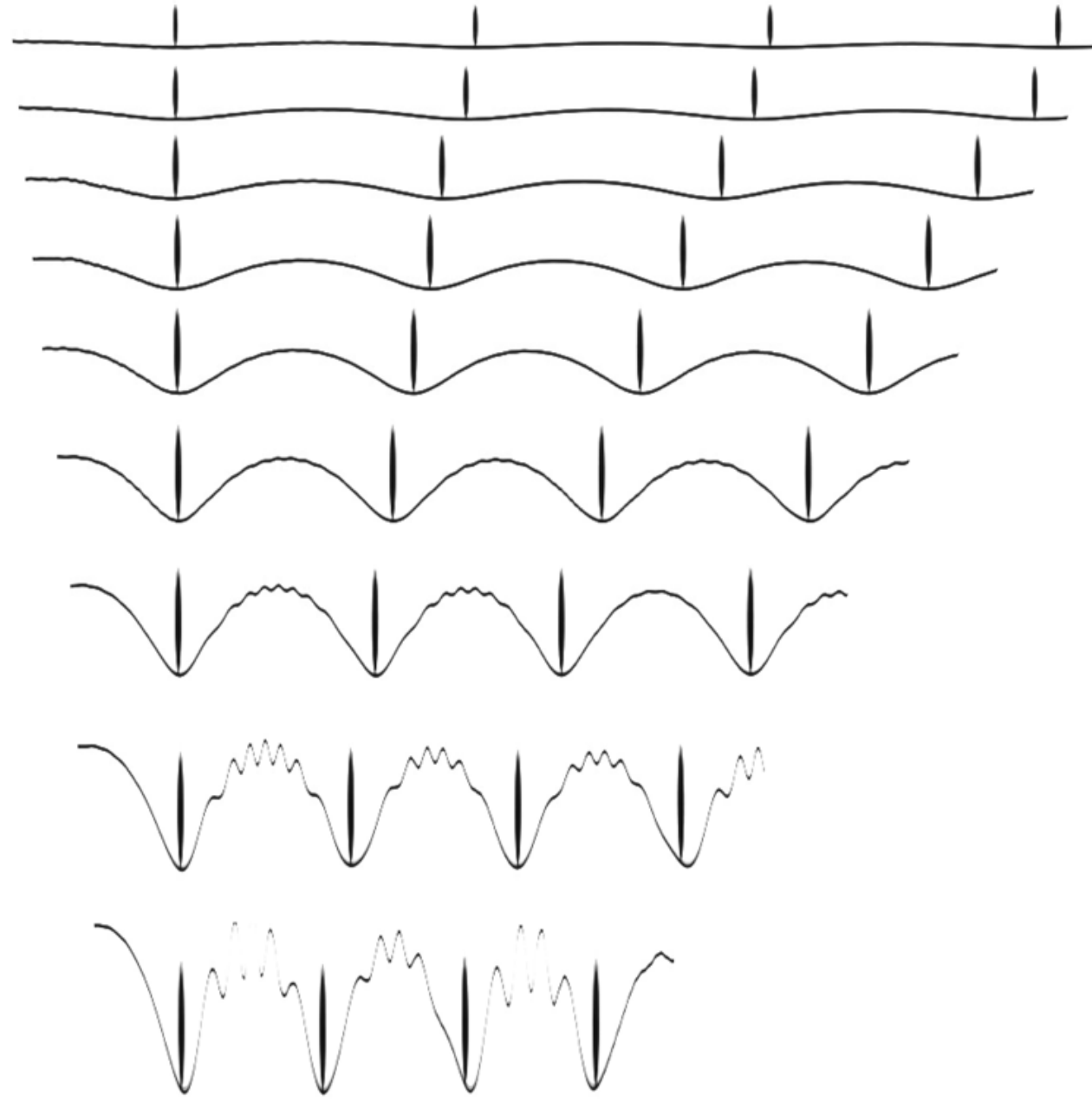
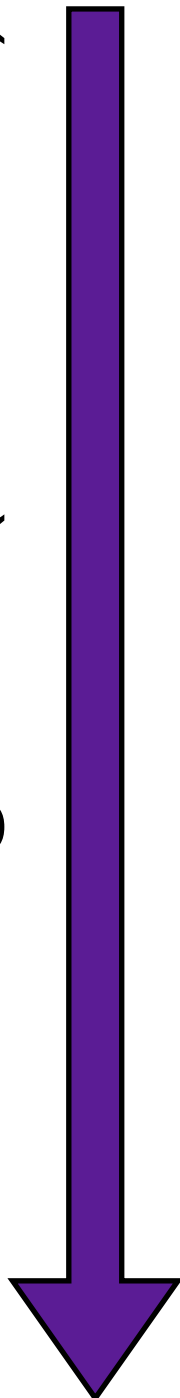
Time



increase temporal reso

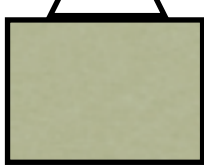


Increasing load (mass ratio)

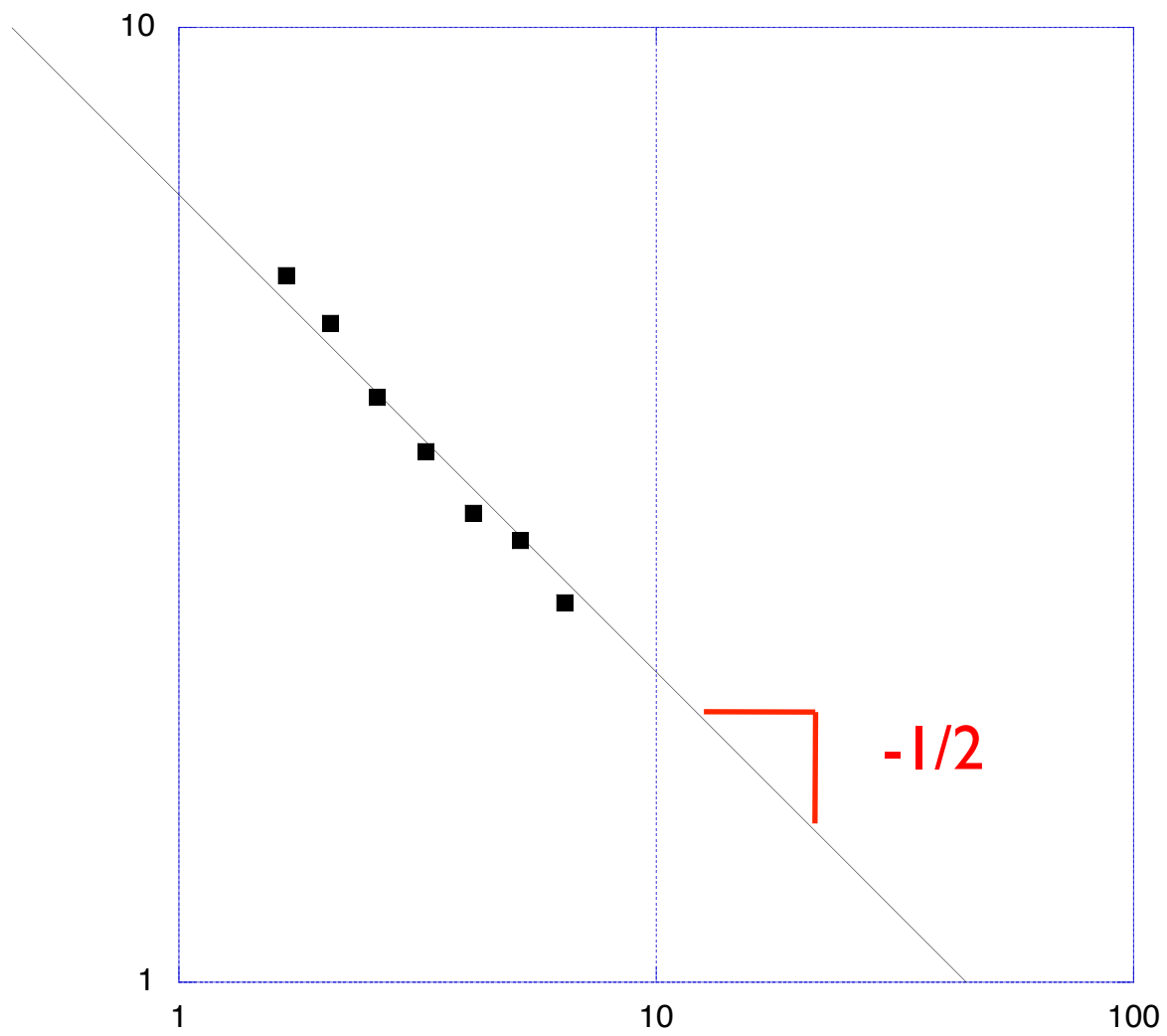


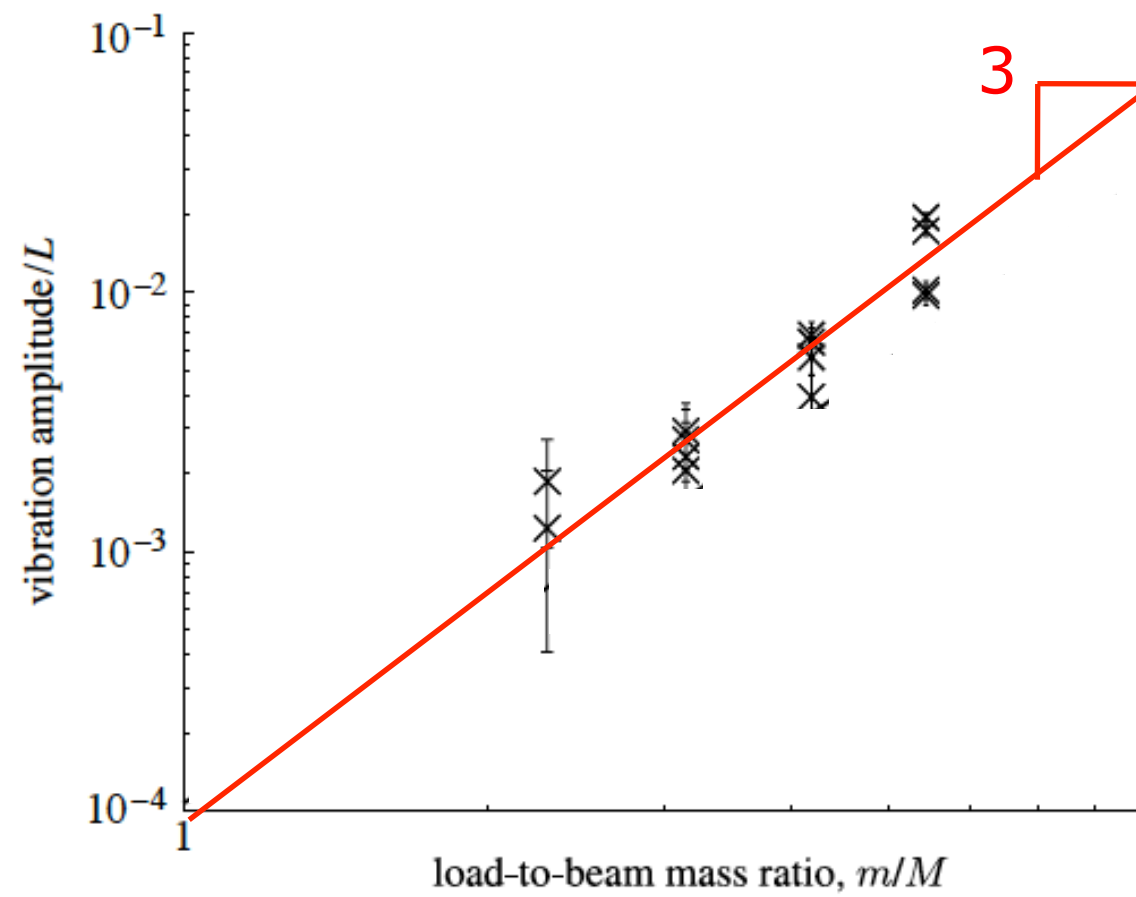
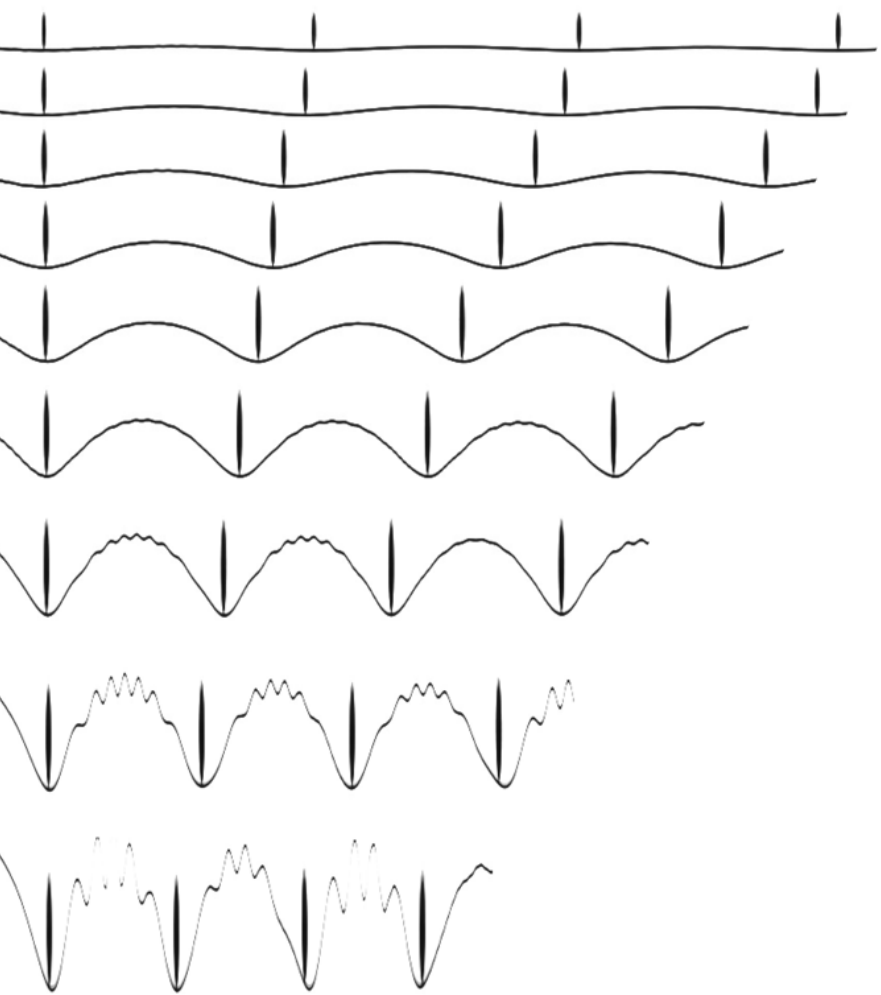
Time



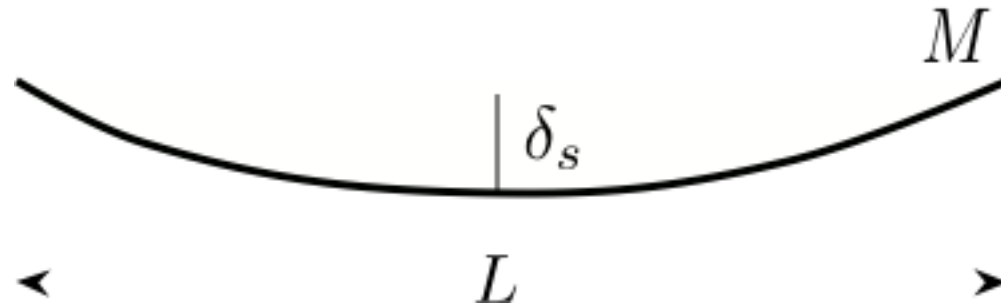


$T (s)$





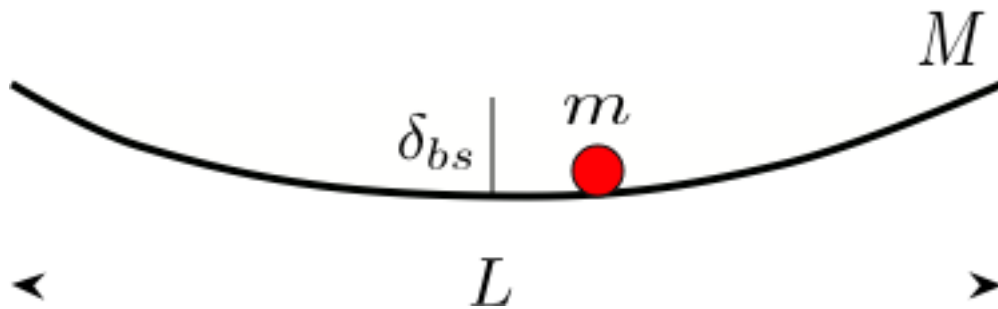
Statique (m=0)



$$Mg\delta_s \sim EI \left(\frac{\delta_s}{L^2} \right)^2 L$$

$$\frac{\delta_s}{L} \sim \frac{MgL^2}{EI}$$

Statique

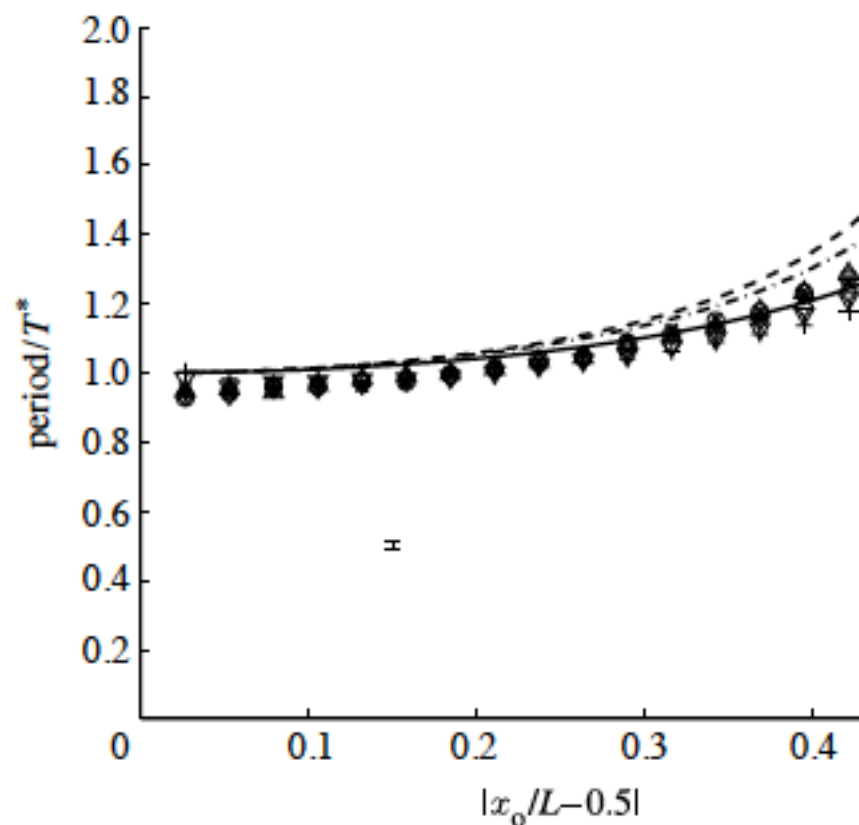
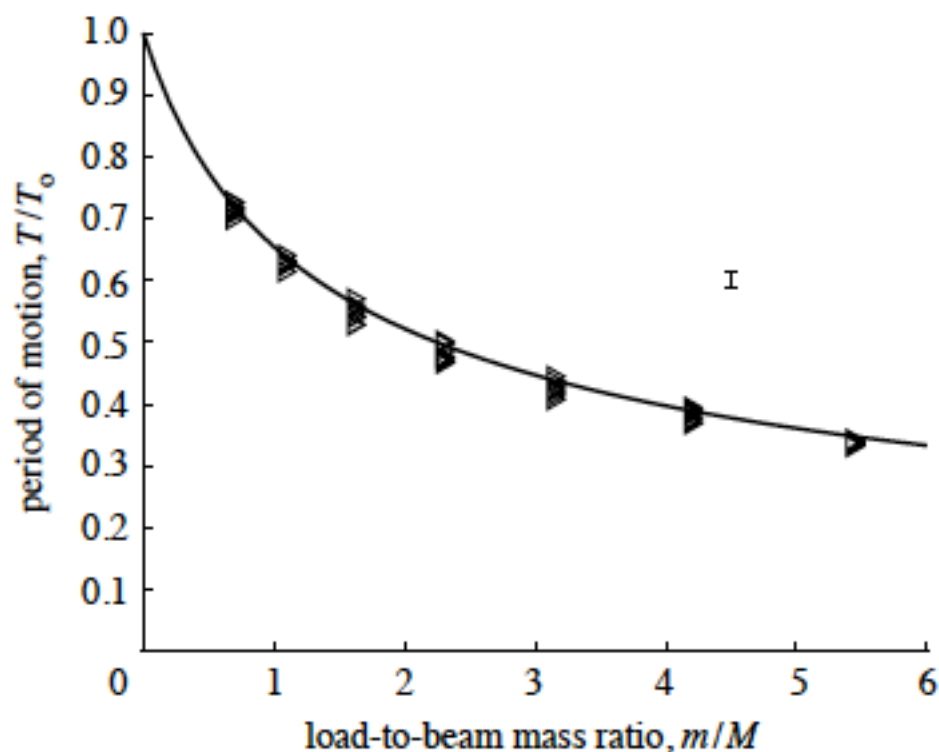


$$\frac{\delta_{bs}}{L} \sim \frac{(m + M)}{EI}$$

Dynamique (QS)

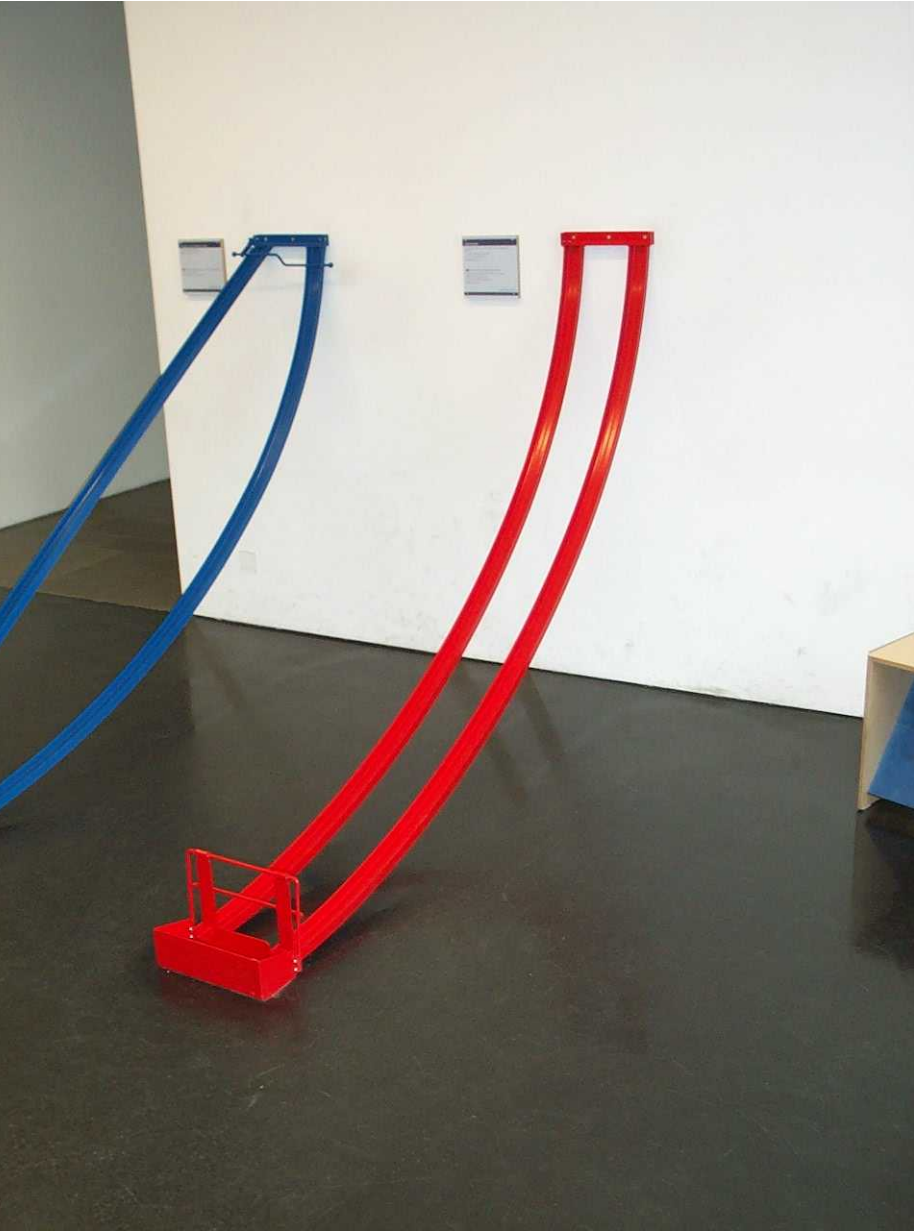
$$mU^2 \sim mg\delta_{bs}$$

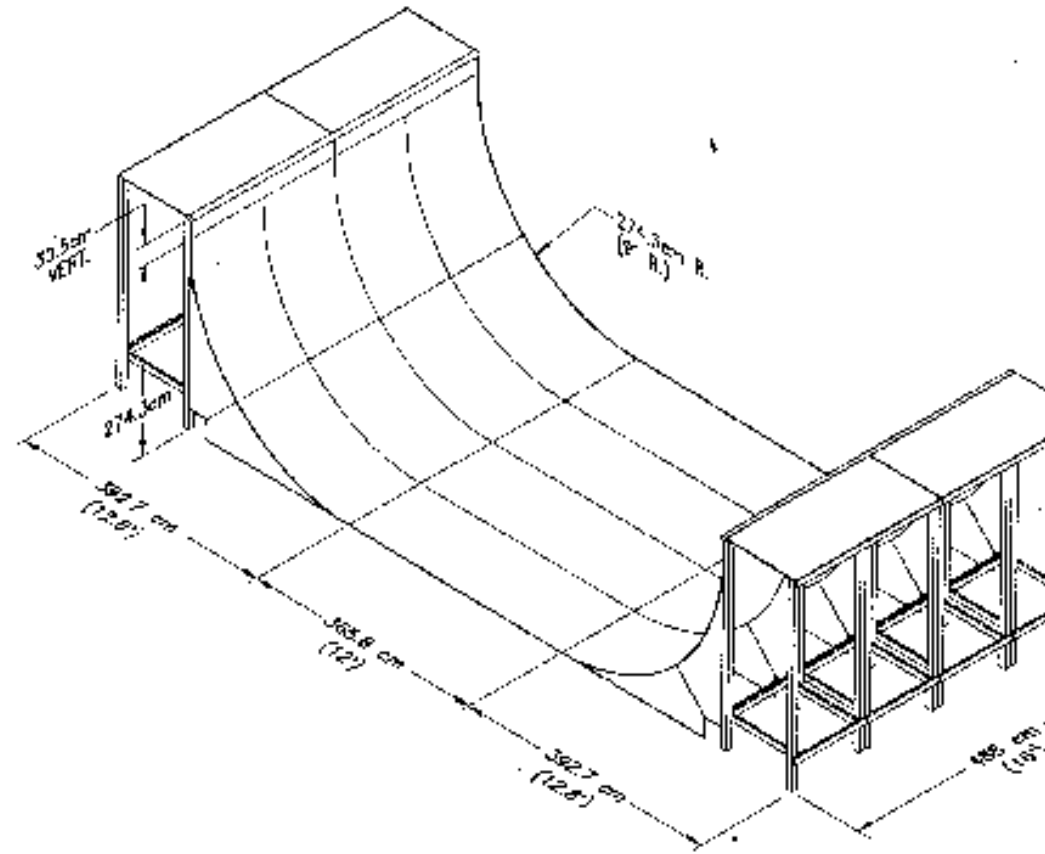
$$T \sim L/U \sim \sqrt{\frac{EI}{(m + M)g^2 L}}$$

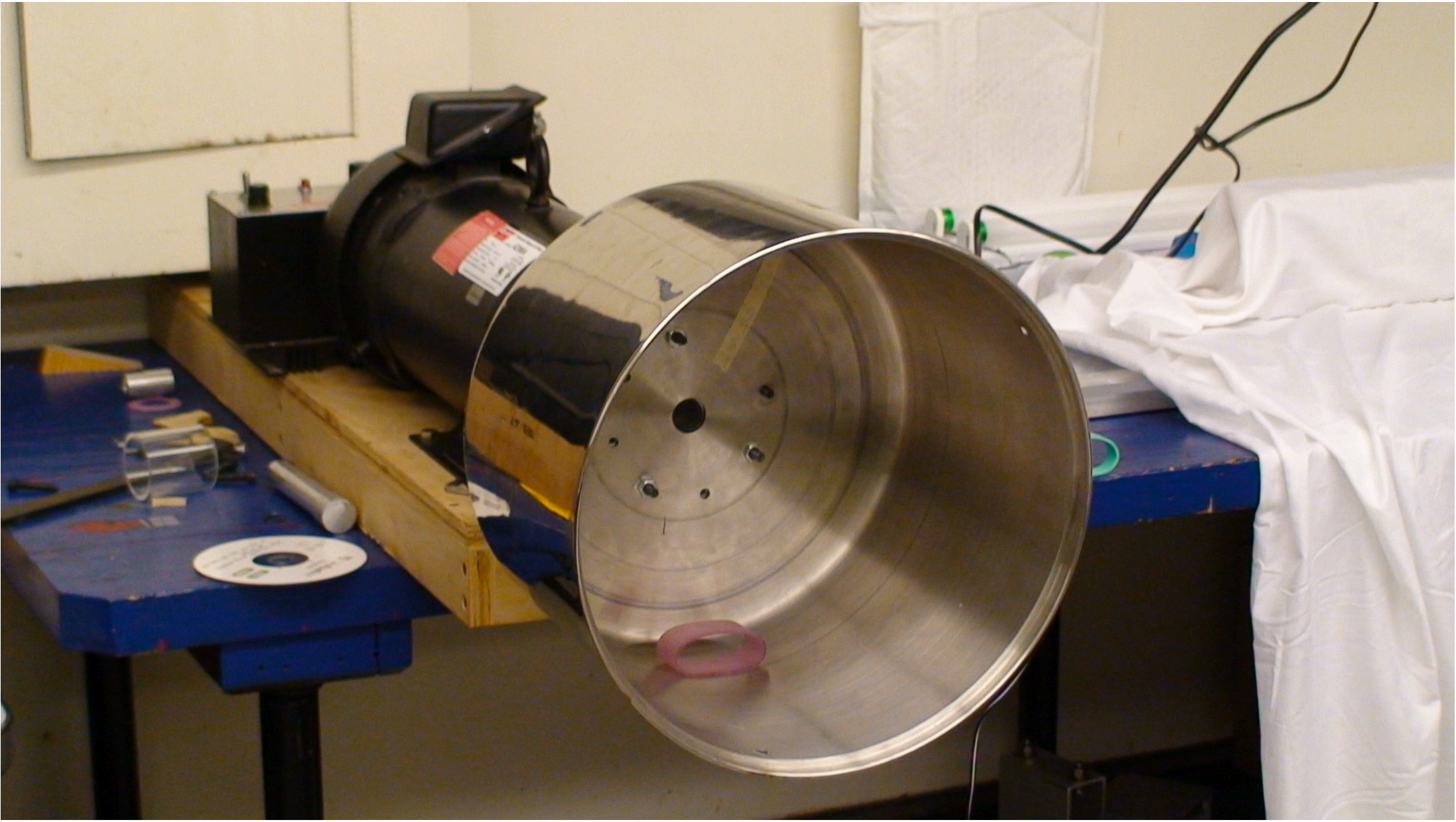


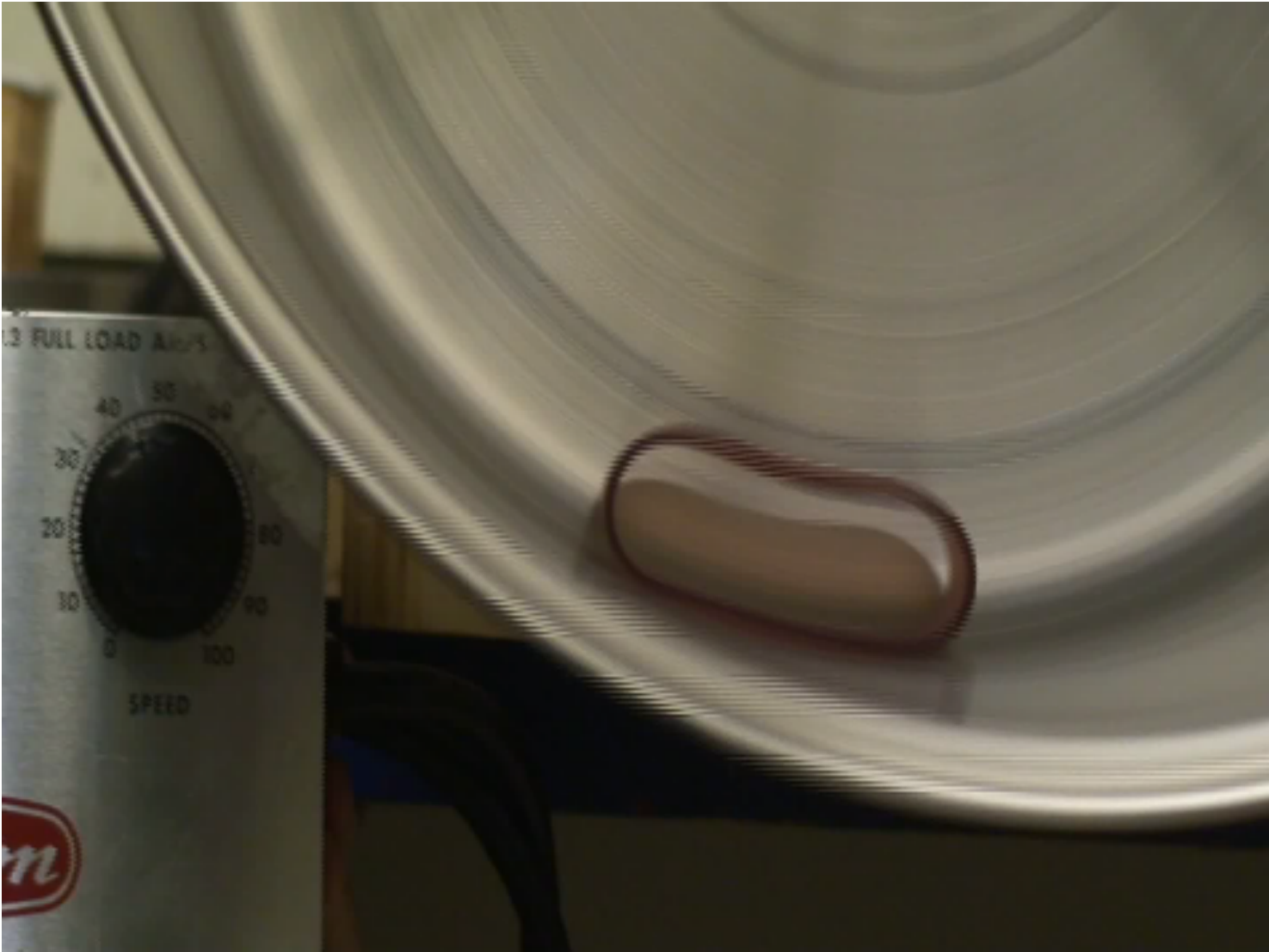
Dimensionless period of load motion versus load-to-beam mass ratio for loads released near the center of an initially horizontal beam, $|x_0/L - 0.5| \leq 0.25$. The triangles denote the experimentally observed periods. The theoretically predicted period is given by the solid curve and equation (19). A characteristic error bar is shown. $\mathcal{K} = 0.744$, $\theta = 0$, $T_0 = (4\pi/15)\sqrt{630}\sqrt{EI/Mg^2L}$.

$$T^* = 4\pi\sqrt{2}\sqrt{1 + \frac{J}{mR^2}}\sqrt{\frac{EI}{Mg^2L}}\frac{1}{\sqrt{1 + \frac{4}{3}\frac{m}{M}}},$$



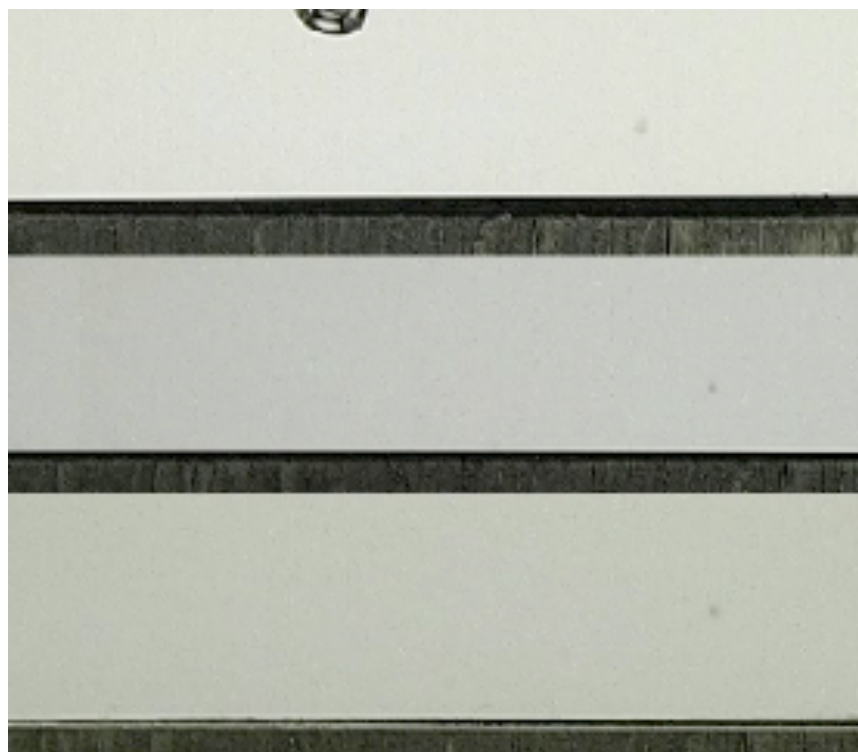


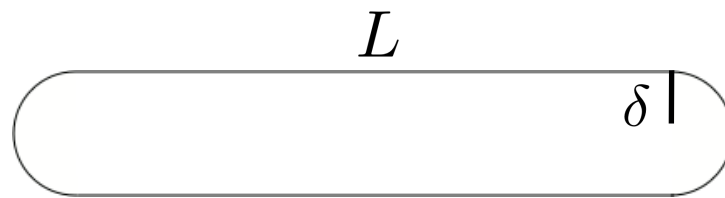












$$\frac{EI}{\delta} \sim \rho_l L g \delta$$

$$\mathcal{E} \sim \rho_l L g \delta + EI \frac{1}{\delta^2} \delta \sim \sqrt{L}$$

$$\frac{\gamma}{\delta} \sim \rho g \delta$$

$$\mathcal{E} \sim \rho \Omega g \delta + \gamma L^2 \sim \Omega$$

$$L^2 \delta \sim$$



$$\frac{EI}{\delta_c} \sim \rho_l \delta_c g \delta_c$$

$$\mathcal{E}_c \sim EI \frac{1}{\delta_c^2} \delta_c$$

$$\delta^2 L \sim \Omega$$

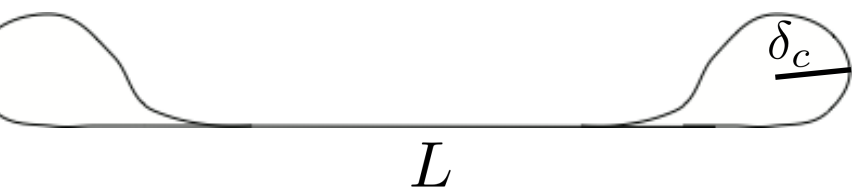
$$\mathcal{E}_c \sim \rho \Omega g \delta + \gamma L^2 \sim \Omega^2$$

\mathcal{E} ↑

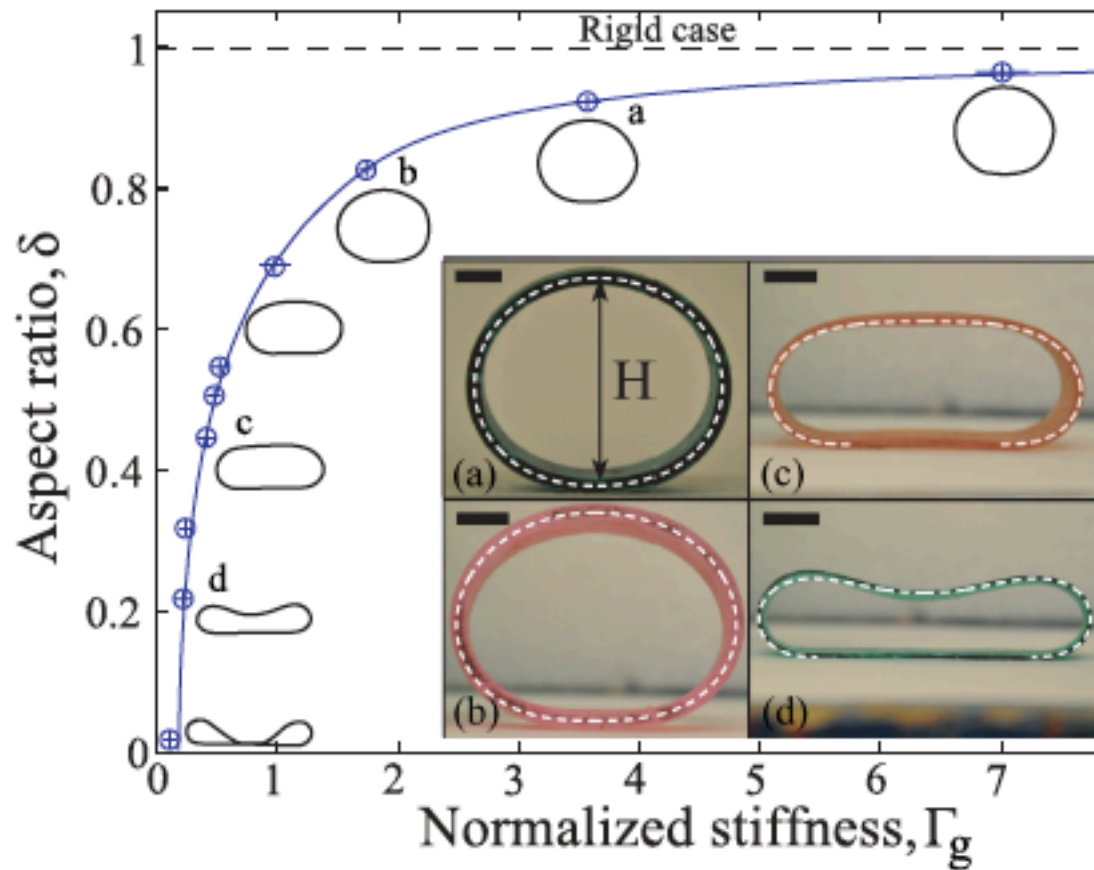


\mathcal{E} ↑

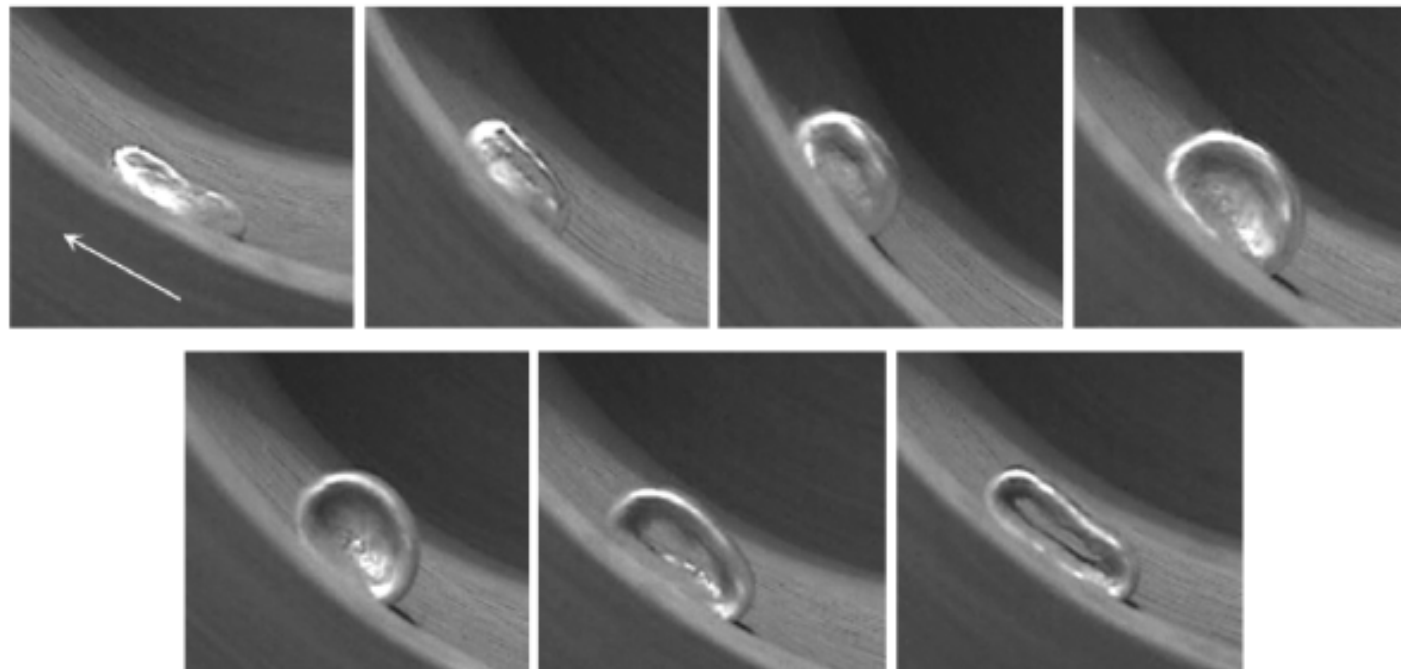
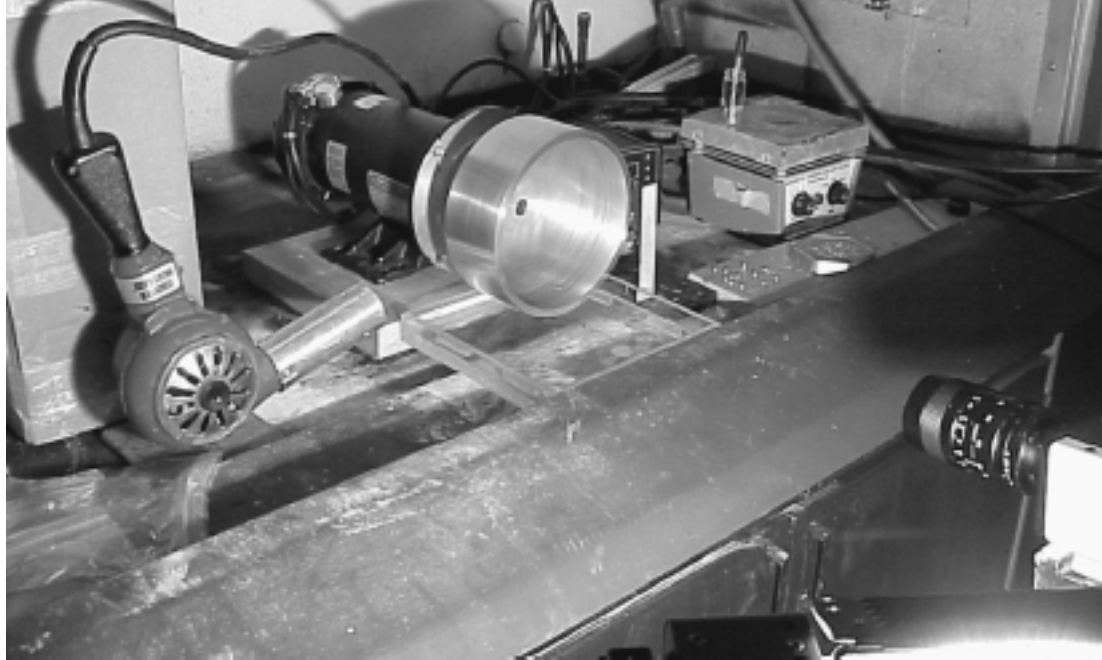


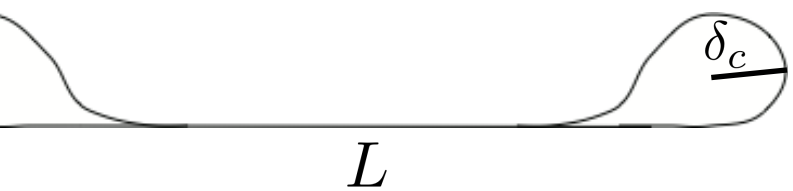


$$\Gamma_g = \left(\frac{\delta_c}{R_0} \right)^3 = \frac{EI}{\rho g S_0 R_0^3}$$





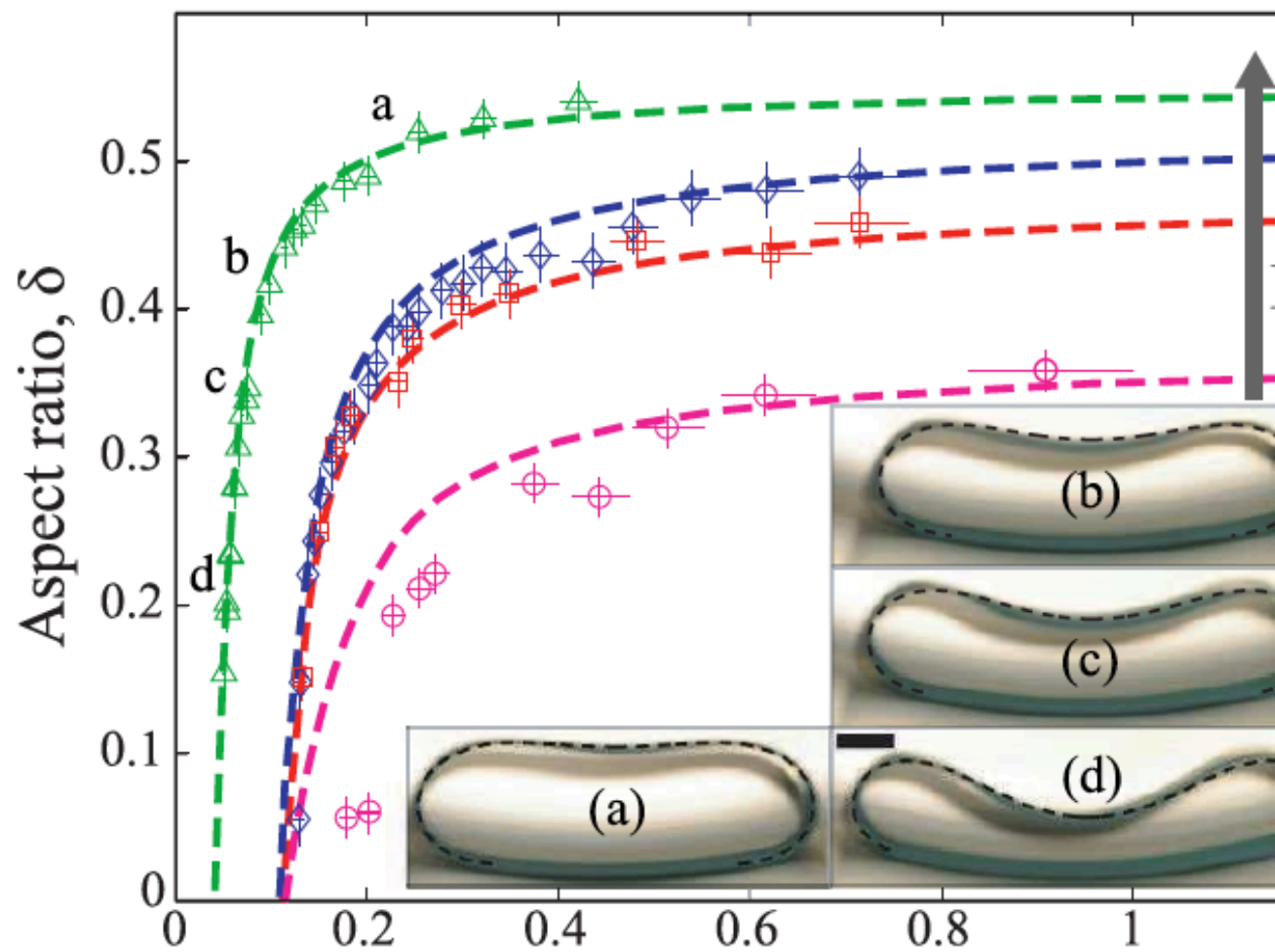




$$\Gamma_g = \left(\frac{\delta_c}{R_0} \right)^3 = \frac{EI}{\rho g S_0 R_0^3}$$

$$g \rightarrow U^2 / R_0$$

$$\Gamma_i = \frac{EI}{\rho U^2 S_0 R_0^2}$$



$$\Gamma_i = \frac{EI}{\rho U^2 S_0 R_0^2}$$